

Analysis of influencing factors of PM_{2.5} based on regression equation

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Abstract. According to the AQI data and the meteorological data of Xi'an in the last years, the relationships and the influence principles between PM_{2.5} and other five monitoring indicators of AQI, weather factors and heating time were analyzed, respectively, by the regression analysis and the ridge regression analysis. The main results include: (1) There were positive correlations between PM_{2.5} and SO₂, NO₂ and CO, which shows that SO₂, NO₂ and CO may be the major gaseous components of forming PM_{2.5}. Therefore, the concentration of PM_{2.5} can be reduced by considering how to efficiently decrease the concentrations of SO₂, NO₂, and CO. (2) The relationships between PM_{2.5} and temperature, sea level press, visibility, wind speed and accumulated precipitation are significantly negatively correlated based on the multiple regression. (3) The concentration of PM_{2.5} during the heating period was 1.868 times higher than that during non-heating period. Finally, the ridge regression between PM_{2.5} and all the factors mentioned above shows that SO₂, NO₂, PM₁₀, CO and heating time were more significant than others.

Keywords: PM_{2.5}, Air Quality Index, meteorological factors, heating period, multiple regression, ridge regression.

1. Introduction

SQI(Air Quality Index) is a dimensionless index quantitatively describing air quality, which has six basic indexes: SO₂、NO₂、PM₁₀、CO、O₃ and PM_{2.5}^[1-3].The PM_{2.5} is the emission of particles less than 2.5μm, which is one of the main reasons for producing fog and haze weather^[4-10]. All kind of toxic and hazardous substances adsorbed by PM_{2.5}, such as virus, can be inhaled into the respiratory system directly into the blood, which will the incidence of lung cancer, heart disease and chronic bronchitis^[11-15]. Therefore, it is not only very necessary but also urgent to monitor mass concentration of PM_{2.5} and analyze its pollution characteristics and influencing factors, which plays an important part to harness and predict PM_{2.5} effectively^[16].

But now when most of the papers come to discuss the influencing factors they involved nothing but AQI, meteorological factors and heating time. For example, Liu et al^[17] draw the conclusions that the relationship between PM_{2.5} and SO₂, NO₂, PM₁₀ and CO are positive correlations while the relationship between PM_{2.5} and O₃ are negative positive. Wang et al^[18] draw the conclusion that the relationship between PM_{2.5} and SO₂, NO₂ and OX(NO₂+O₃) are positive correlations; Zhang et al^[19] draw the conclusion that the relationship between PM_{2.5} and temperature is positive correlation, while the relationships between PM_{2.5} and wind speed ,relative humidity and air pressure are negative correlation. Chen et al^[20-22] draw the conclusion that the relationships between PM_{2.5} and temperature and wind speed are negative correlation while the relationships between PM_{2.5} and humidity and air pressure are positive correlation. Chen et al^[23] draw the conclusion that the relationships between PM_{2.5} and temperature, humidity, wind speed, wind direction and precipitation are significantly. When it goes to discuss PM_{2.5}, there is little paper take AQI, meteorological factors and heating time into consider at the same time, and there is also little paper considering heating time when they analyze PM_{2.5} by establishing regression equation^[24-25].

Basing to the studies having done, this paper selects the object, Xi'an, to analyze for its special location, Guangzhong Plain, surrounded by mountains in the south and Loess Plateau in the north, which limit the dispersion of air pollutants, and the observation of satellite indicates that the Xi'an is one of the most polluted cities^[26-28]. This paper considers every factor fully when we study the relationship and regression between PM_{2.5} and other factors, including other five basic indexes of AQI, seven meteorological factors and heating time.

2. Materials and methods

2.1.Data and sources

Data of AQI is downloaded in <http://www.xianemc.gov.cn/> including six basic indicators data. Data of meteorology is downloaded in <https://www.wunderground.com/> including temperature, the dew point, humidity, sea level pressure, visibility, wind speed and precipitation. Data of longitude and altitude of thirteen areas in Xi'an is downloaded in <http://haiba.qhdi.com/>.

2.2.research method

When the relationship between $PM_{2.5}$ and heating time is analyzed, we consider 2015-3-1 to 2015-3-15 and 2015-11-15 to 2016-2-29 as heating period, and 2015-3-16 to 2015-11-14 to as non-heating period according to Xi'an's policies. In this paper, we discuss the relationship between $PM_{2.5}$ and its influencing factors, mainly by using the method of multiple regression equation. However, in order to avoid multicollinearity, ridge regression equation between $PM_{2.5}$ and other indexes of AQI, meteorological factors and heating time is built.

3. Results and discussion

Following, we are going to analyze the influencing factors of $PM_{2.5}$ concentration. The relationships between $PM_{2.5}$ and AQI, meteorological factors and heating time are analyzed in section 2.1, 2.2 and 2.3, respectively.

3.1. Ridge regression analysis of $PM_{2.5}$ and other monitoring indexes in AQI

The multiple regression equation is established with the variable of $PM_{2.5}$ as the dependent variable, and $SO_2(x_1)$, $NO_2(x_2)$, $PM_{10}(x_3)$, $CO(x_4)$ and $O_3(x_5)$ as independent variables. As is shown in Fig 1, the relationship is significantly correlated with each monitoring indicator of AQI, therefore, we adopt the ridge regression to avoid multicollinearity. After analyzing, the ridge regression equation of $PM_{2.5}$ to x_1 , x_2 , x_3 , x_4 and x_5 is

$$\hat{y}_{PM_{2.5}} = -16.386 + 0.622x_1 + 0.375x_2 + 0.404x_3 + 0.619x_4 - 0.011x_5. \quad (1)$$

The standard ridge regression equation is

$$\hat{y}_{PM_{2.5}} = 0.150x_1 + 0.135x_2 + 0.315x_3 + 0.212x_4 - 0.006x_5 \quad (2)$$

